made of medical grade Silastic silicone tubes (VWR, PA, USA) with internal diameter of 4.78 mm and external diameter of 7.95 mm. The length of the sample tubes was 371 mm. The tubes were spliced to complete the loop with similar silicone tube, approximately 25 mm long, 7.95 mm internal diameter and 12.70 mm external diameter. The wall shear rate for this model has been previously defined by Gardner.¹² Here it has been converted to wall shear stress (WSS) by using the Newtonian relation $\tau = \mu\gamma$, where τ is the fluid shear stress, γ is the shear rate of the fluid, and μ is blood dynamic viscosity. Hence it becomes,

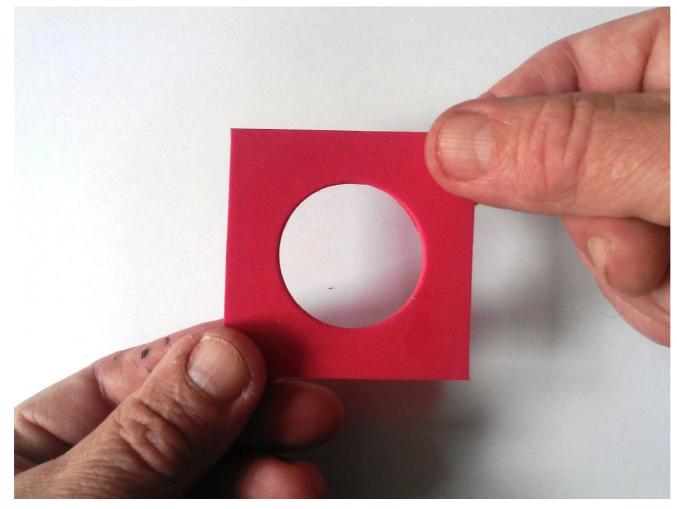
$$\tau_{\rm w} = \frac{2\pi R_0 \omega \mu}{15R} \tag{1}$$

where R_0 is the loop curvature radius, R is the tube internal radius, and ω is angular velocity in RPM.

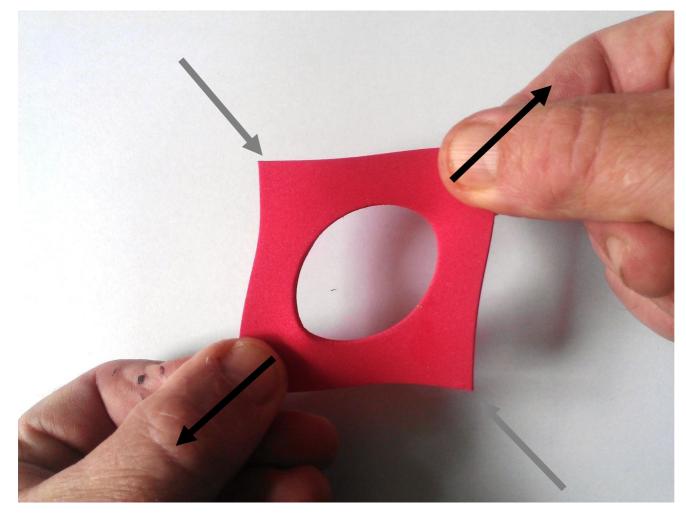
this text is a little bit confusing and not really correct.

0

I'd like to get show you a more demonstrative model...



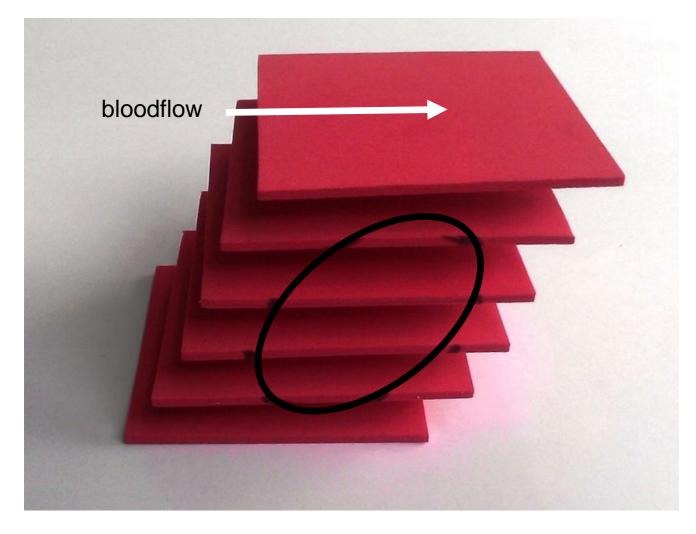
This is a piece of soft cellular rubber with a circular hole.



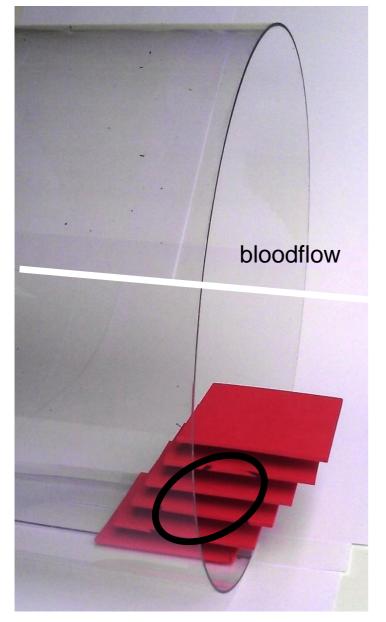
blood sheer stress

This is a piece of soft cellular rubber with a circular hole. Pulling the opposite corners, you see the effect of the force (or of the tension) on the deformation of the hole.

To create the same effect, you can push the other corners as well..



The same effect on a laminar blood flow



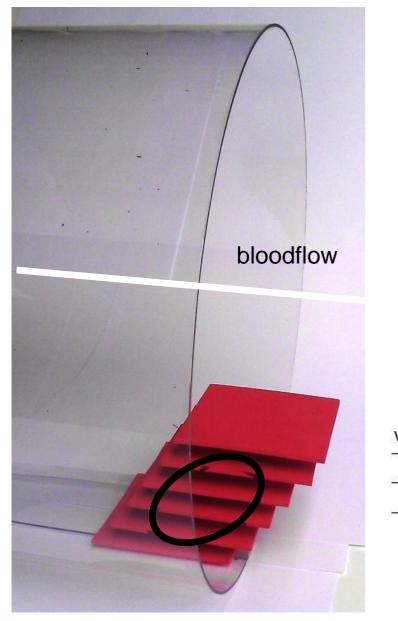
blood sheer stress

The same effect on a lamiar blood flow inside the tube. The blood sticks to the wall of the tube. The velocity is zero.

More distance to the wall means more velocity of the blood.

ebo kunze | industriedesign



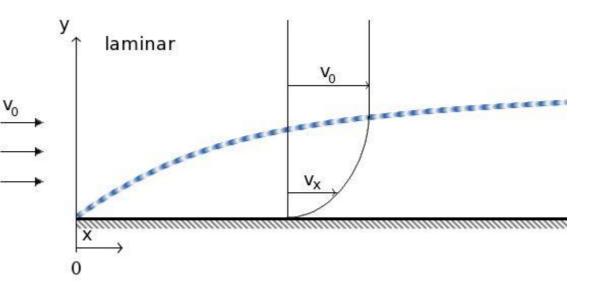


blood sheer stress

The same effect on a lamiar blood flow inside the tube. The blood sticks to the wall of the tube. The velocity is zero. More distance to the wall means more velocity of the blood.

But this increase is not linear.

In the center of the tube the velocity has its maximum.



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$$\tau_{\rm w} = \frac{2\pi \bar{R}_0 \omega \mu}{15R} \tag{1}$$

where R_0 is the loop curvature radius, R is the tube internal radius, and ω is angular velocity in RPM.

back to the formula:

- Ro (loop radius in the center of the tube) and
- R (inner radius of the tube)

are parameters of the geometry of the tube.

unit is [m] (Meter)

170724

made of medical grade Silastic silicone tubes (VWR, PA, USA) with internal diameter of 4.78 mm and external diameter of 7.95 mm. The length of the sample tubes was 371 mm. The tubes were spliced to complete the loop with similar silicone tube, approximately 25 mm long, 7.95 mm internal diameter and 12.70 mm external diameter. The wall shear rate for this model has been previously defined by Gardner.¹² Here it has been converted to wall shear stress (WSS) by using the Newtonian relation $\tau = \mu\gamma$, where τ is the fluid shear stress, γ is the shear rate of the fluid, and μ is blood dynamic viscosity. Hence it becomes,

$$\tau_{\rm w} = \frac{2\pi R_0 \omega \mu}{15R}$$

(1)

where R_0 is the loop curvature radius, R is the tube internal radius, and ω is angular velocity in RPM.

blood sheer stress

 $2\pi Ro$ is the periphery of the tube

 $\boldsymbol{\omega}$ is the angular velocity.

(rad is only a number, like rounds...)

and what the hell is rad (radiant)??

the animation works only in presentation mode !!

1 round (2π rad) per minute (60 s) is the same as:

2π rad 60 s made of medical grade Silastic silicone tubes (VWR, PA, USA) with internal diameter of 4.78 mm and external diameter of 7.95 mm. The length of the sample tubes was 371 mm. The tubes were spliced to complete the loop with similar silicone tube, approximately 25 mm long, 7.95 mm internal diameter and 12.70 mm external diameter. The wall shear rate for this model has been previously defined by Gardner.¹² Here it has been converted to wall shear stress (WSS) by using the Newtonian relation $\tau = \mu\gamma$, where τ is the fluid shear stress, γ is the shear rate of the fluid, and μ is blood dynamic viscosity. Hence it becomes,

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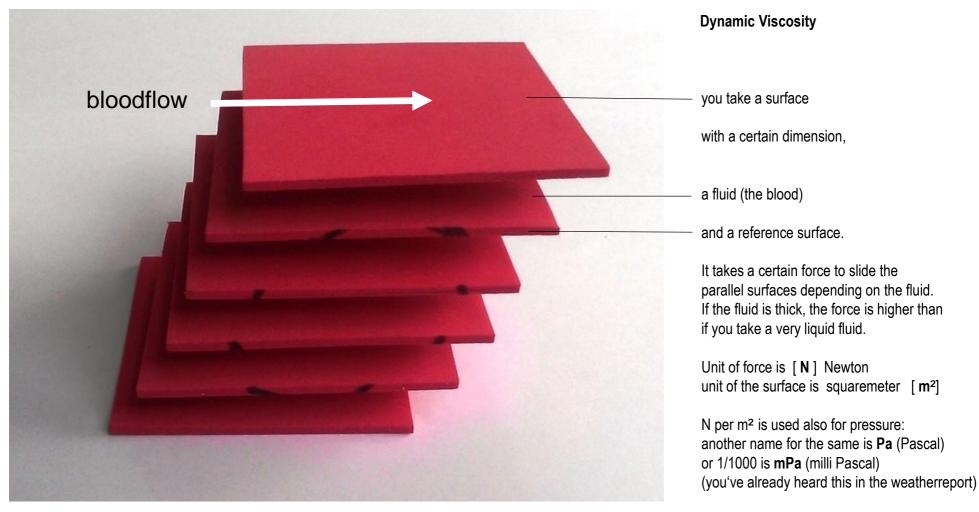
blood sheer stress

 $\boldsymbol{\mu}$ is the dynamic viscosity of blood.

It is a material specific constant, which describes the thickness of a fluid and its ability to flow...

again the model:

0



blood sheer stress

And the whole effect of dynamic viscosity (it moves: time is relevant) is measured with the unit **[Pa·s]** Viscopedia) Viscosity Tables) Whole Blood

Whole Blood

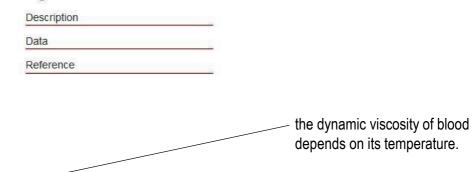
Description

Page Content

Blood viscosity is a measurement of the thickness and stickiness of an individual's blood. It is a direct measure of the ability of blood to flow through the blood vessels.

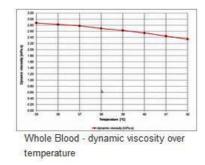
Blood measurement determines how much friction the blood causes against the vessels, how hard the heart has to work to pump the blood through the body, and how much oxygen is delivered to organs and tissues.

Blood viscosity is correlated with all known risk factors for cardiovascular disease. Elevated blood viscosity is a strong independent predictor of cardiovascular events.



Measurement data

Temp. [°C]	Dyn. Viscosity [mPa.s]	Kin. Viscosity [mm²/s]
42	2.35	2.24
41	2.44	2.33
40	2.55	2.43
39	2.63	2.51
38	2.69	2.57
37	2.78	2.65
36	2.82	2.70
35	2.87	2.74



$$\tau_{\rm w} = \frac{2\pi R_0 \omega \mu}{15R}$$

now all components together:

 2π Ro (in **m**, 1 mm = 0,001 m) the periphery of the loop

the circular velocity ω (in rounds / second , 1 Rpm = 1 / 60s)

the dynamic viscosity μ (in **Pa** · **s** , 1/1000 Pa = 1 mPa)

and **R** (in **m**, 1 mm = 0,001 m)

Ξ

to check the whole equation, you fill in only the units without dimension number:

$$u = \frac{1}{5} \cdot R_{a} \cdot s$$

$$= R_{a} = \frac{\lambda}{m}$$

done